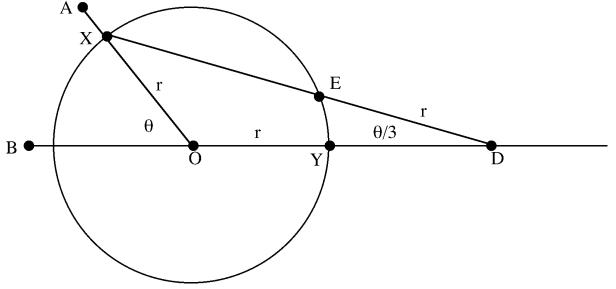
Mathematics-Science 380 - History of Mathematics

TRENT UNIVERSITY 2004-2005

Assignment #5

Due on Monday, 29 November, 2004.

1. Show that the following construction for trisecting an angle using a compass and a ruler with two marks (a distance of r apart) works.



Given that $\angle AOB = \theta$, draw a circle with centre *O* and radius *r*. Suppose this circle intersects *OA* at *X* and the line extending *BO* past *O* at *Y*. Slide the ruler around until its edge runs through *X*, one mark is on the line extending *OY* past *Y*, and the other mark lies on the circle. Let *D* be the point on the line where the first mark is and *E* be the point on the circle where the second mark is. Then $\angle EDY = \theta/3$. [10]

2. Describe some of the tools besides a compass and an unmarked straightedge that Greek and Hellenistic geometers experimented with. What constructions did these make possible that cannot be accomplished with a compass and straightedge alone? [10]

The Corporal Who Killed Archimedes

With one bold stroke he killed the circle, tangent and point of intersection in infinity. On penalty of quartering he banned numbers from three up. Now in Syracuse he heads a school of philosophers, Squats on his halberd for another thousand years and writes: one, two one, two one, two one, two.

Miroslav Holub