## Mathematics 3260H - Geometry II: Projective and non-Euclidean geometry Trent University, Winter 2015

Assignment \#55 = 34 + 21* Moving points and lines
Due on Thursday, 19 March, 2015.

1. Suppose $P=(u, v, w)$ and $Q=(x, y, z)$ are points of the real projective plane which are not incident with the lines $\ell=[a, b, c]$ and $m=[d, e, f]$, respectively. Show that there is a collineation $\delta$ of the real projective plane such that $P^{\delta}=Q$ and $\ell^{\delta}=m$. [10]
Note: It's perfectly possible to have $P$ incident with $m$ and/or $Q$ incident with $\ell$ here.
Hint: A suitable linear transformation of $\mathbb{R}^{3}$ will give such a collineation ...
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