

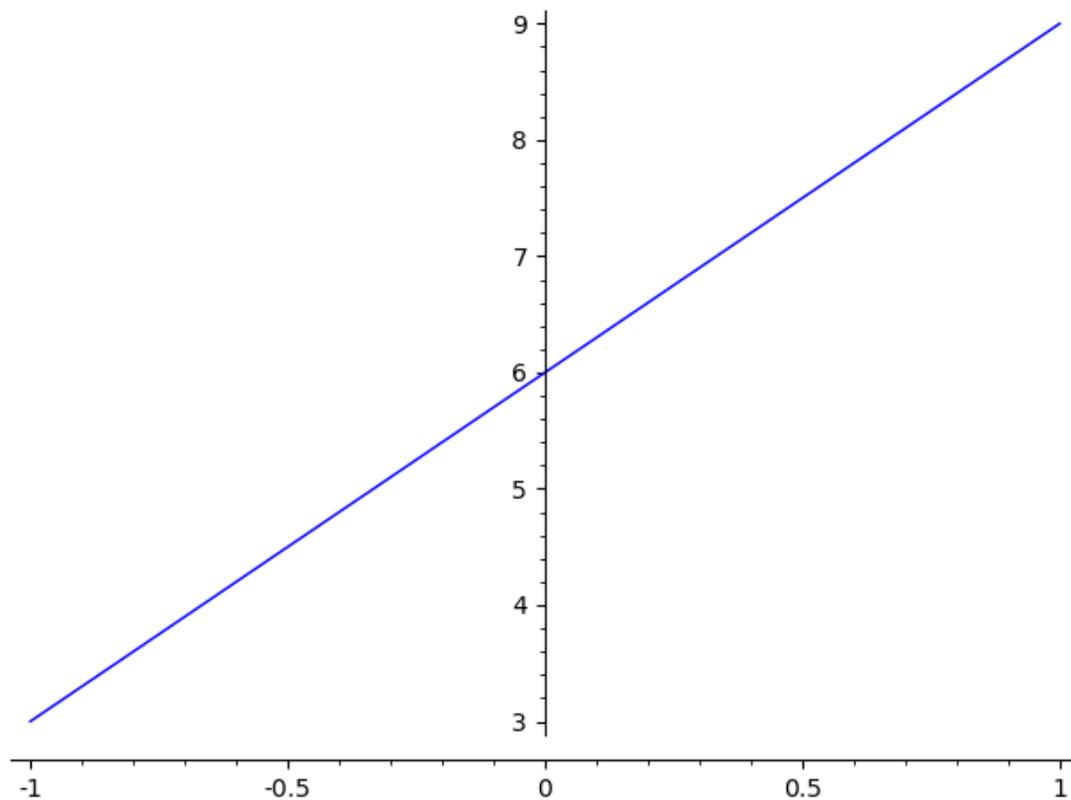
# MATH1110H-B-lab-2023-09-19-F02

September 26, 2023

```
[ ]: # MATH 1110H-B F02 Lab 2023-09-19
#
# Wherein we ring the changes on the several plotting commands in
# SageMath, without getting into the fancy stuff like labelling
# points, curves, or axes.
```

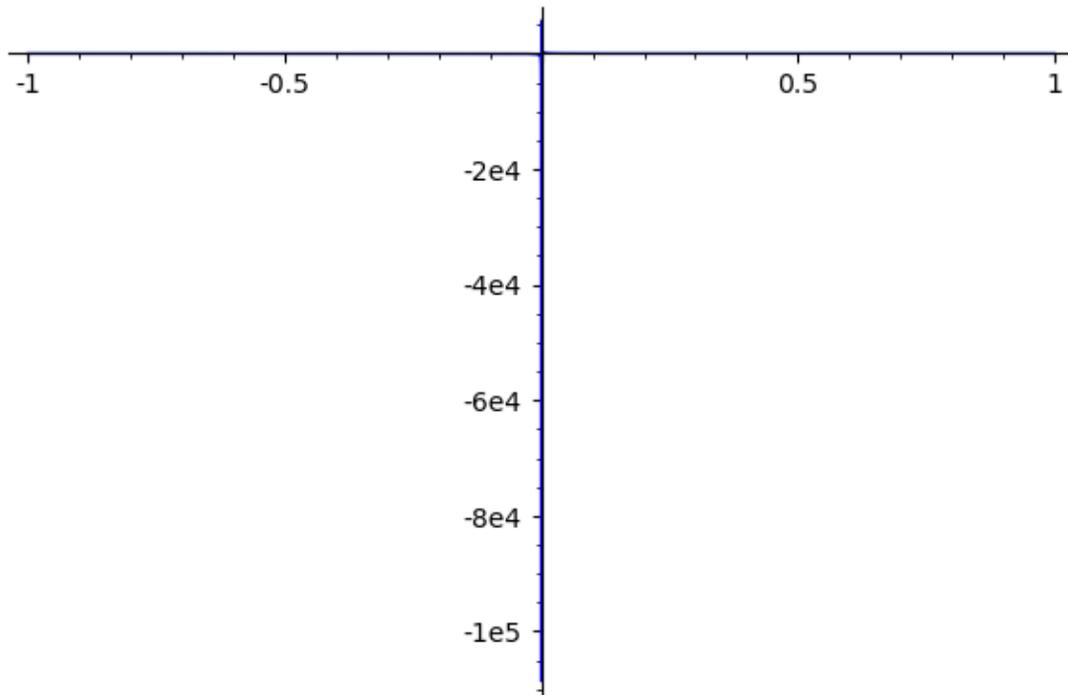
```
[1]: plot(3*x+6) # The basic plot command, which plots the function
# for x between -1 and 1 by default. Note that the
# scale on the vertical and horizontal axes is not
# the same.
```

[1]:



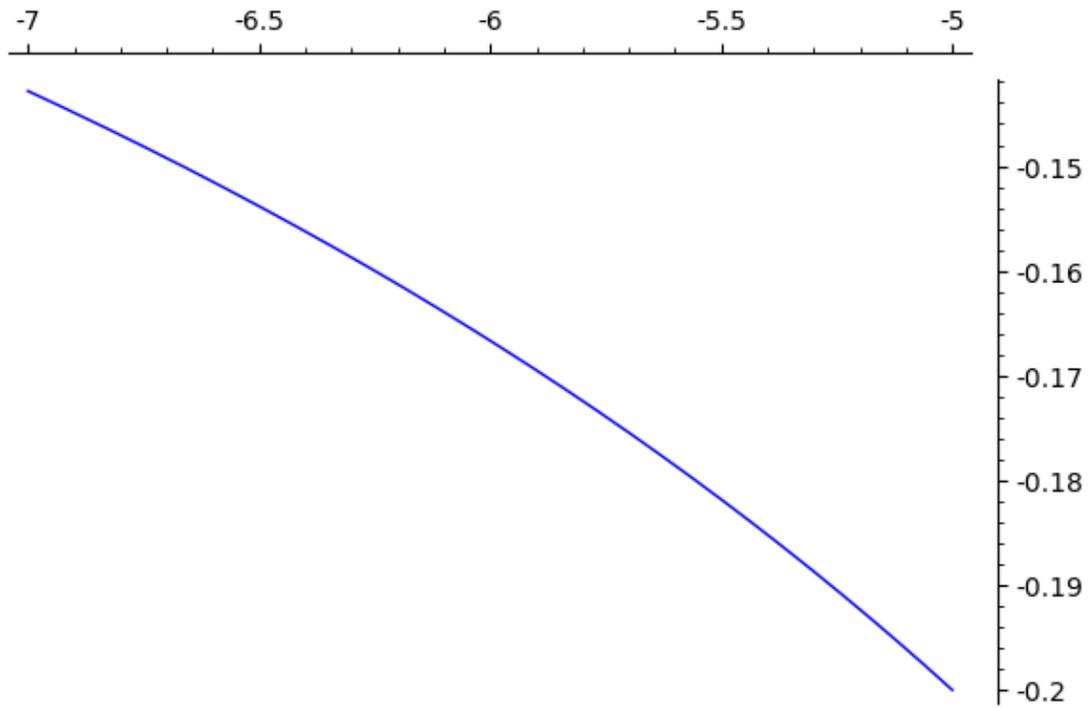
```
[2]: plot(1/x) # The scale problem gets worse when a function has an  
# asymptote.
```

[2]:



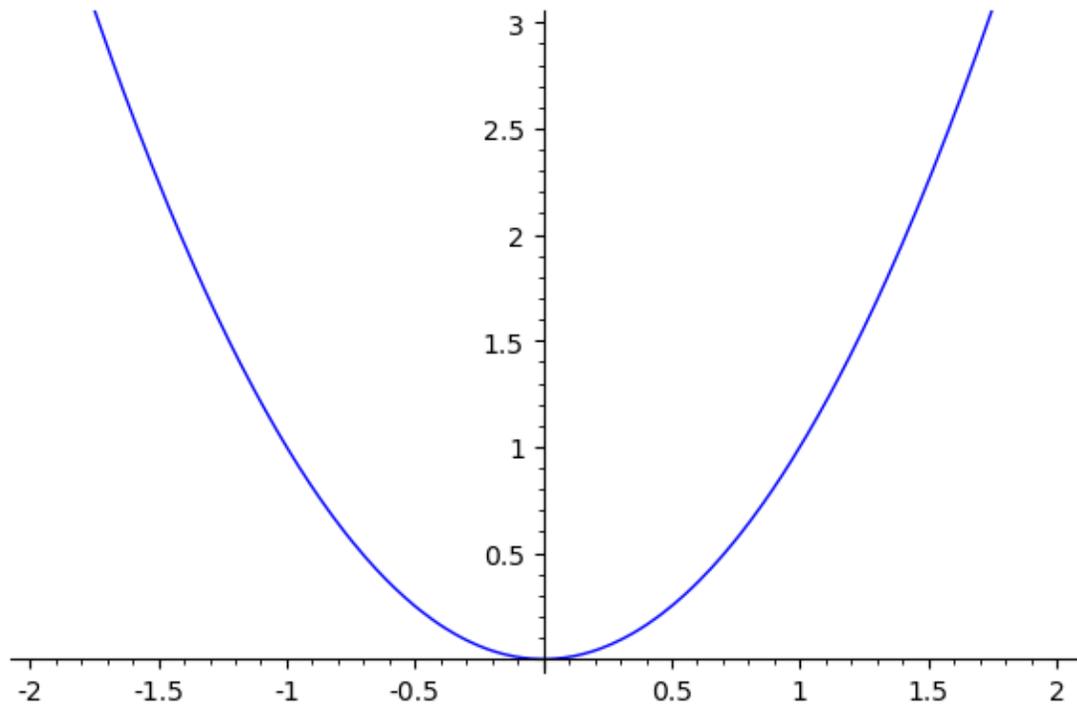
```
[3]: plot(1/x,-7,-5) # One can change the x-values used in the plot.
```

[3]:



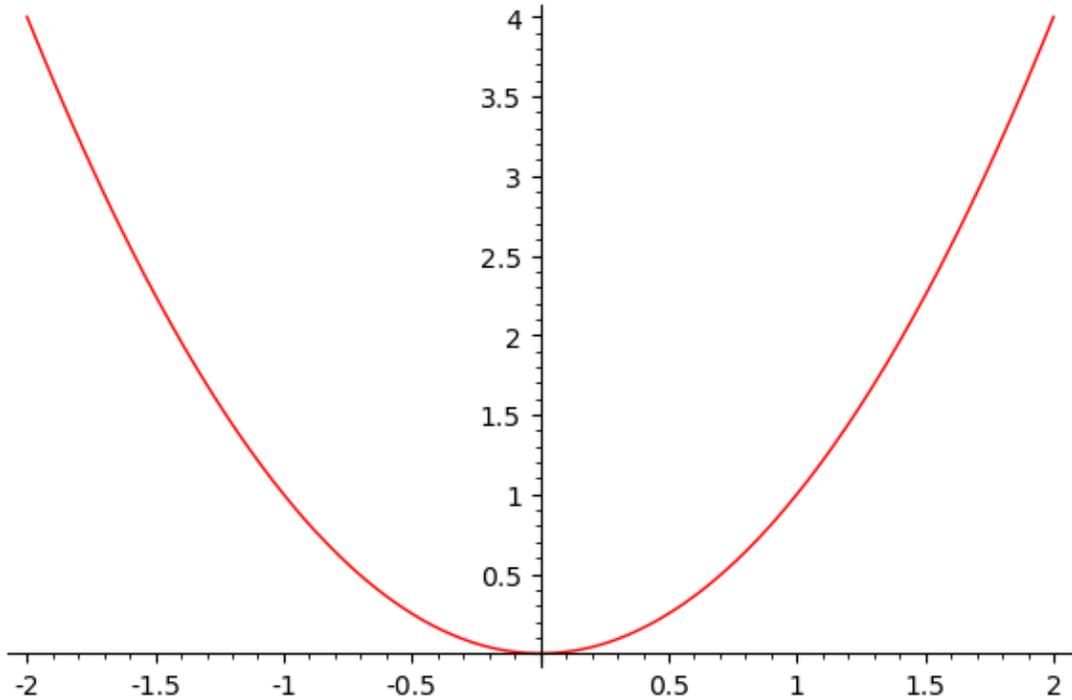
```
[4]: plot(x^2,-2,2,ymin=-0,ymax=3) # One can also limit the y-values.
```

[4]:



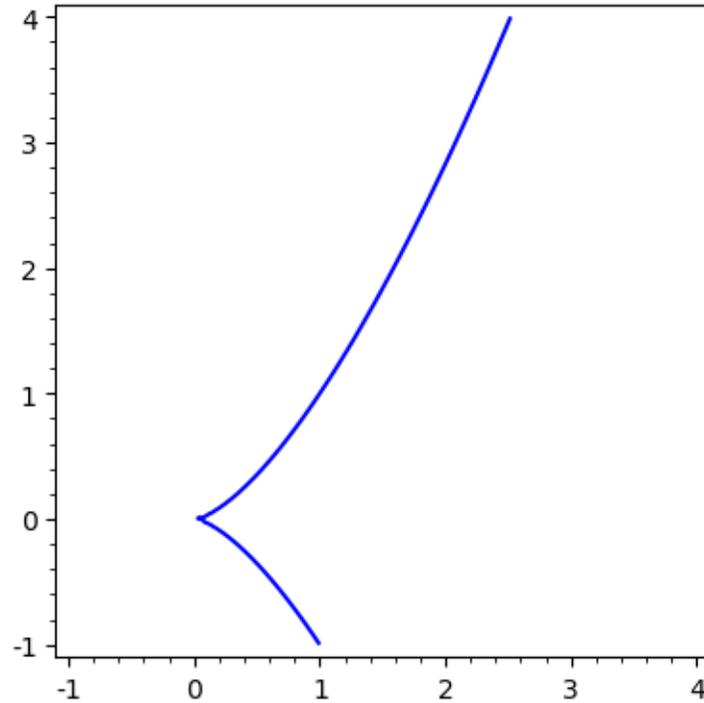
```
[5]: # One can also change the color of the plotted curve.  
plot(x^2,-2,2,color='red')
```

[5]:



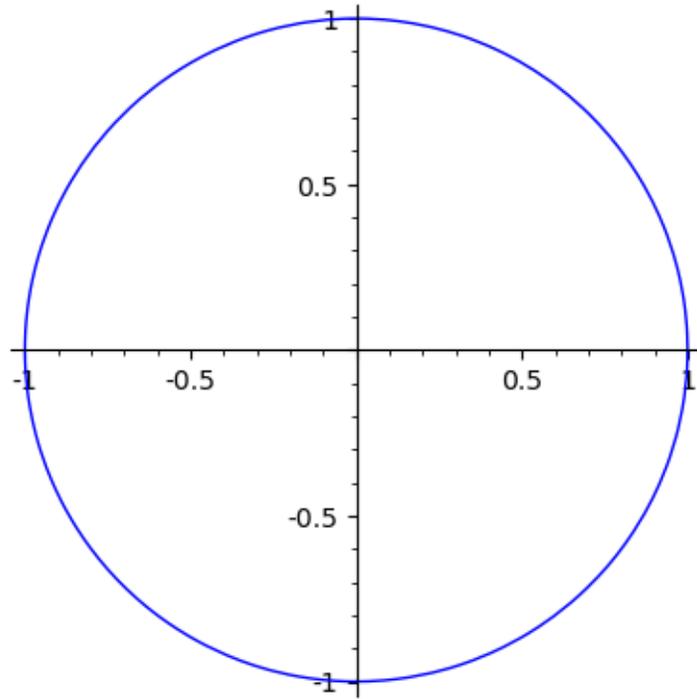
```
[8]: var('y') # If you want anything other than x to be considered as a  
# variable, you need to specify as such.  
implicit_plot(y^2==x^3,(x,-1,4),(y,-1,4)) # Graphing curves  
# defined implicitly by an equation has its own command.  
# Note the use of == for equality in the given equation  
# and the need to specify the range for each variable  
# separately. (With a format a rather different from how  
# one does it in the basic plot command.)
```

[8]:



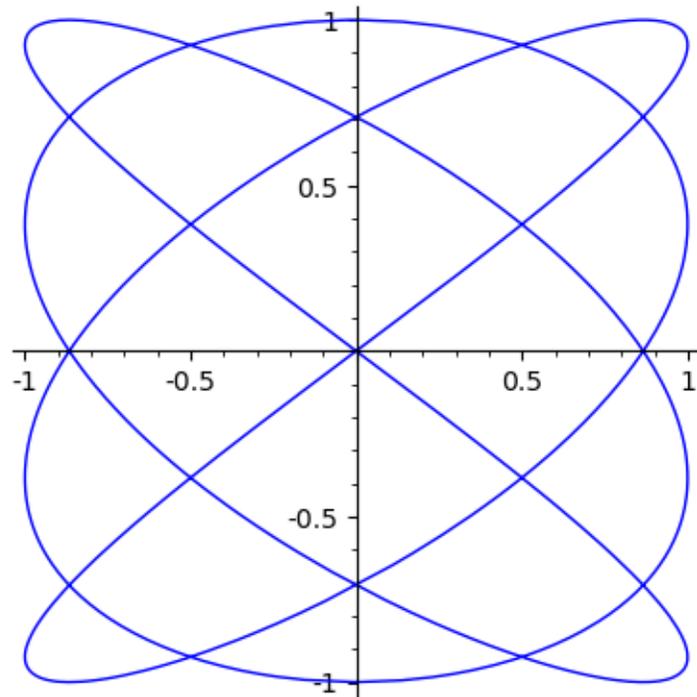
```
[9]: var('w') # Once again, to use t as a variable, we need to tell
        # SageMath this before actually using it.
    parametric_plot((sin(w),cos(w)),(w,-pi,pi)) # This is the
        # specialized command for plotting parametric curves, in
        # which the x and y coordinates are controlled by a third
        # variable (the parameter), i.e.  $x = f(t)$  and  $y = g(t)$ 
        # for some functions  $f(t)$  and  $g(t)$ . (See Section 10.4 of
        # the textbook.) Note that the x and y coordinates are
        # specified in an ordered pair and that the range of t to
        # be used is given in the same format as ranges in the
        # implicit_plot command are.
```

[9]:



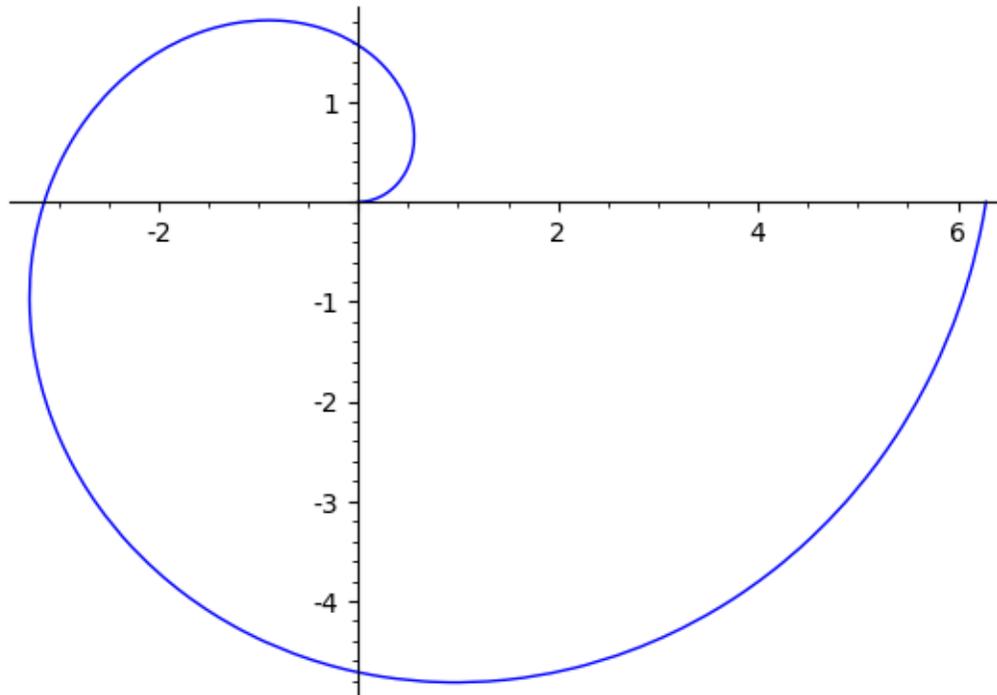
```
[10]: parametric_plot((sin(4*w), cos(3*w)), (w, -pi, pi))  
# Another example of a parametric plot; this is a Lissajous curve.
```

[10]:



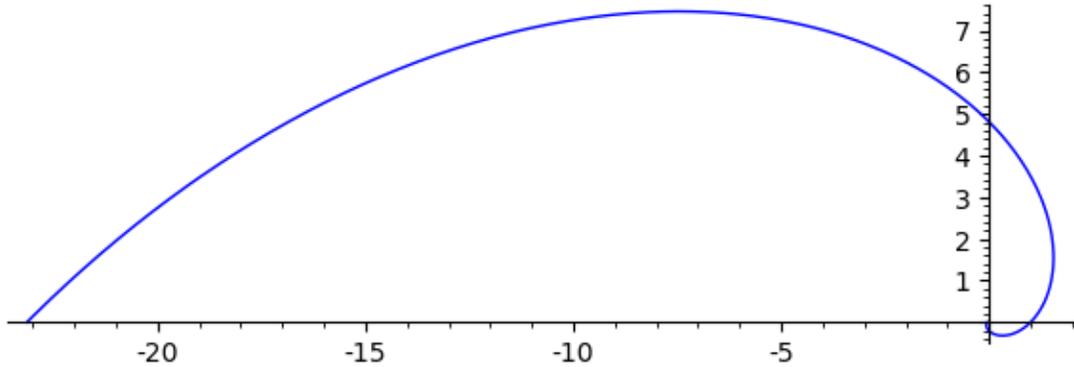
```
[11]: var('theta') # Again, to use theta as a variable, we need to tell
      # SageMath this before actually using it.
      polar_plot(theta,(theta,0,2*pi)) # This is the specialized
      # command for plotting in polar coordinates. Theta
      # gives the direction of a point, i.e. the angle that
      # the line joining the origin to the point makes with
      # the positive x-axis, measured counterclockwise,
      # and  $r = f(\theta)$  gives the distance the point is
      # from the origin. (See Section 10.1 of the textbook.)
      # Note that the range of theta to be used is given in
      # the same format as ranges in the implicit_plot and
      # parametric_plot commands are.
```

[11]:



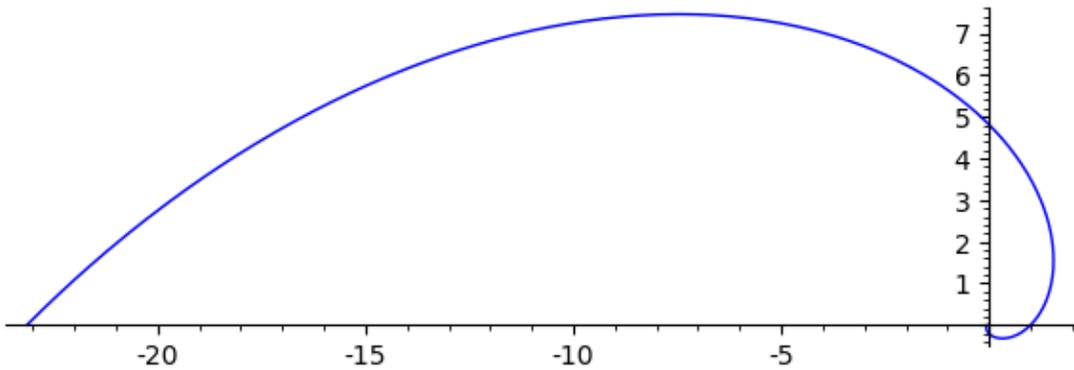
```
[13]: polar_plot(e^theta,(theta,-pi,pi))
      # An exponential spiral in polar coordinates.
```

[13]:



```
[14]: f = e^theta # The same spiral, but with the function defined and
        # named outside the polar_plot command. This is handy
        # if you want to use a function repeatedly or if you
        # want to avoid overly long commands.
polar_plot(f, (theta, -pi, pi))
```

[14]:

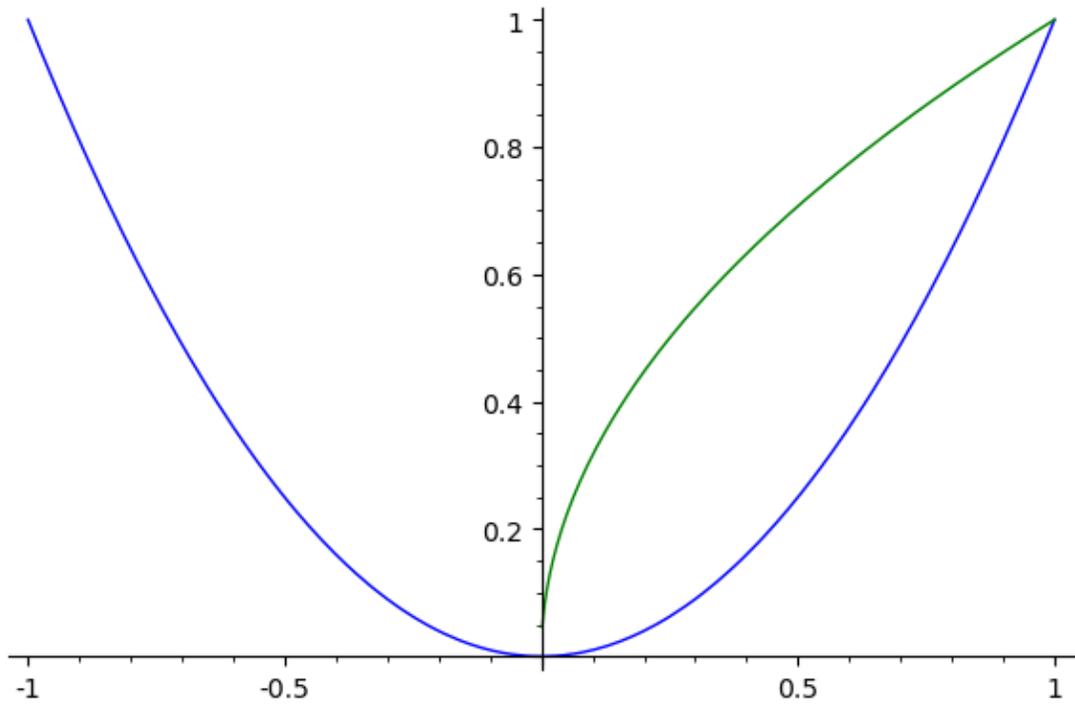


```
[15]: p1 = plot(x^2) # You can also give plots names and refer to them
        # by name later...
p2 = plot(sqrt(x), color='green')
p1+p2 # ... and superimpose plots by adding them!
```

verbose 0 (3791: plot.py, generate\_plot\_points) WARNING: When plotting, failed to evaluate function at 100 points.

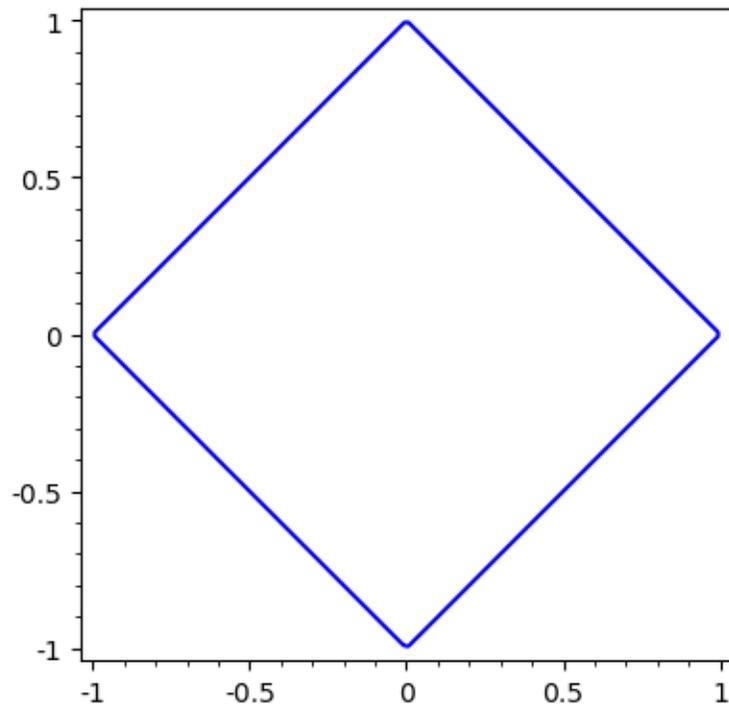
verbose 0 (3791: plot.py, generate\_plot\_points) Last error message: 'math domain error'

[15]:



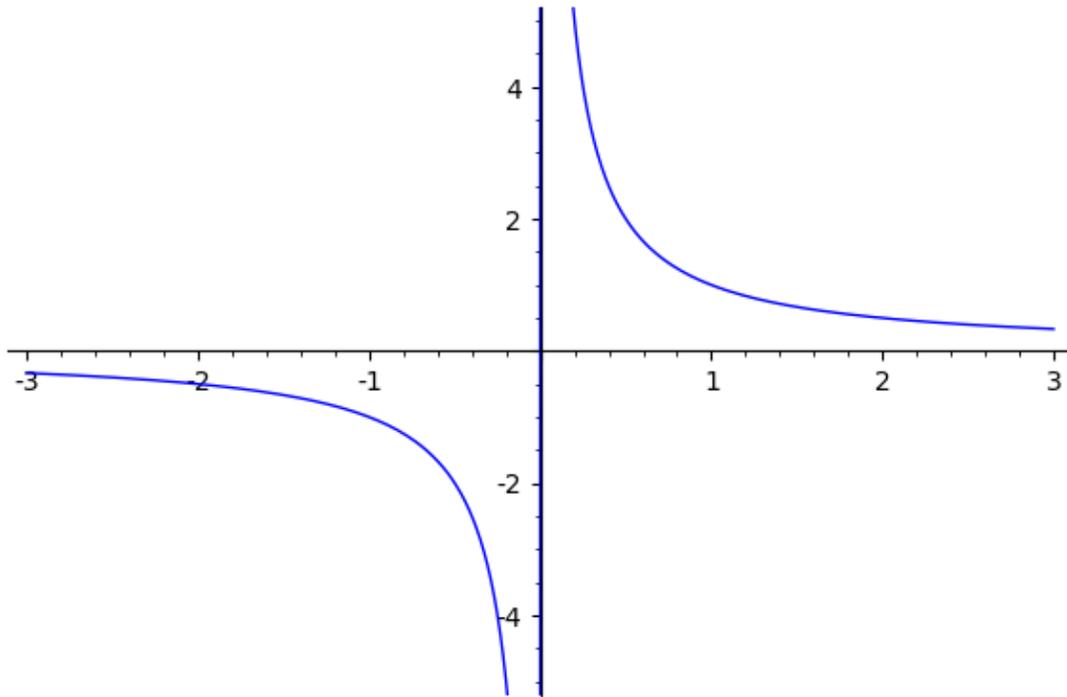
```
[16]: implicit_plot(abs(x) + abs(y) == 1, (x,-1,1), (y,-1,1))
# SageMath use abs for the absolute value function.
```

[16]:



```
[19]: plot(1/x,-3,3,ymin=-5,ymax=5) # Here we revisit our very first  
# plot with limits on x and y that  
# give us a plot that gives a good  
# idea of how the function behaves.
```

[19]:



```
[ ]: # That's all for this time! :-)
```